

Name: KEY

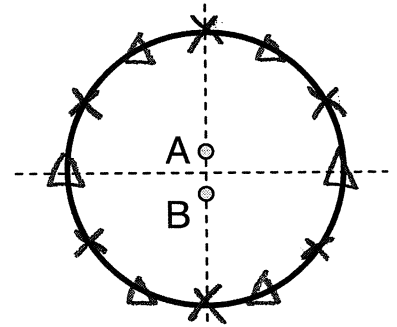
TA: _____

constructive interference: $\Delta\phi = 2\pi \frac{\Delta r}{\lambda} + \Delta\phi_o = 2\pi m$

destructive interference: $\Delta\phi = 2\pi \frac{\Delta r}{\lambda} + \Delta\phi_o = 2\pi \left(m + \frac{1}{2}\right)$

1) The two sources A and B are separated by a distance $D=1.5\lambda$, equally spaced from the origin along the y-axis. They are identical, and both emitting waves of wavelength λ . Indicate **on the figure** (10 pts)

- a) Approximate positions of all points on the circle where the interference is fully constructive (use a Δ to mark these)
- b) Approximate positions of all points on the circle where the interference is fully destructive (use an X to mark these).



$v = \lambda f$ open/closed tubes: $\lambda_m = 4L/m$ $m = 1, 3, 5, \dots$

fixed strings closed/closed tubes: $\lambda_m = 2L/m$ $m = 1, 2, 3, \dots$

2) A tuning fork with a frequency of 680Hz is struck right above the opening of an adjustable-length open-closed tube. Imagine the tube length can be adjusted from essentially zero length to a maximum of 50cm. How many resonant frequencies can be excited in the tube, and at what lengths does this happen? Use $v=340\text{m/s}$ for the speed of sound in air. (10 pts)



$\lambda_{air} = \frac{v}{f} = \frac{340\text{m/s}}{680/2} = 0.5\text{m} = 50\text{cm}$

$\lambda_m = \frac{4L}{m}$

$L = \frac{m\lambda}{4}$

m	L
1	12.5cm
3	37.5cm
5	62.5cm

} 2 Frequencies at these lengths

$L = m(12.5)$